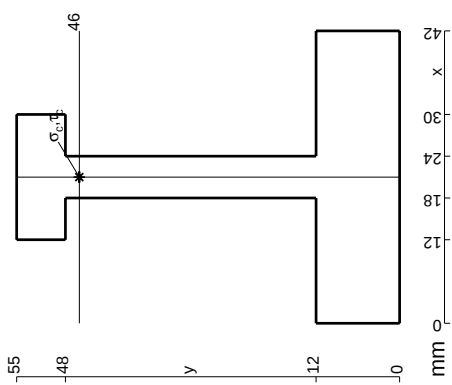
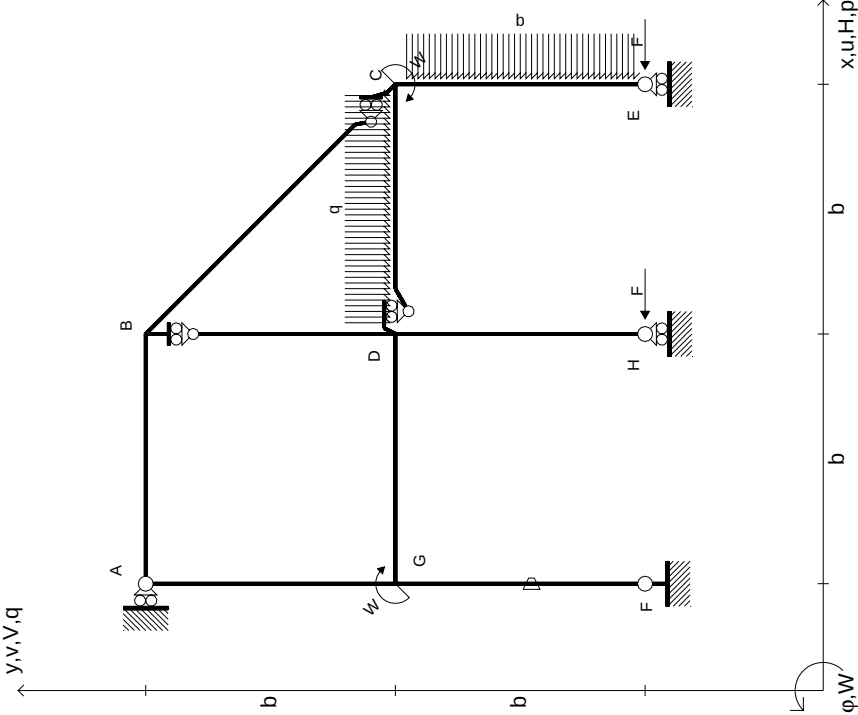
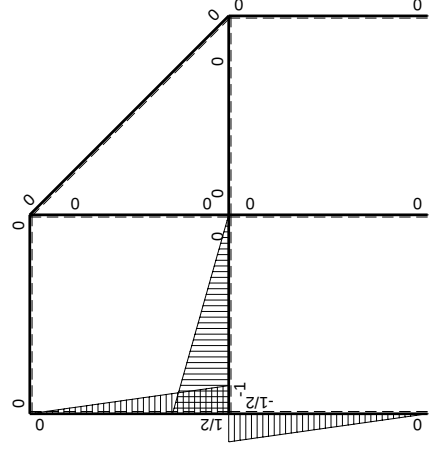
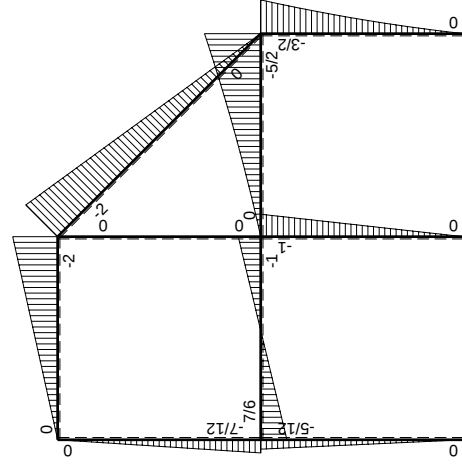
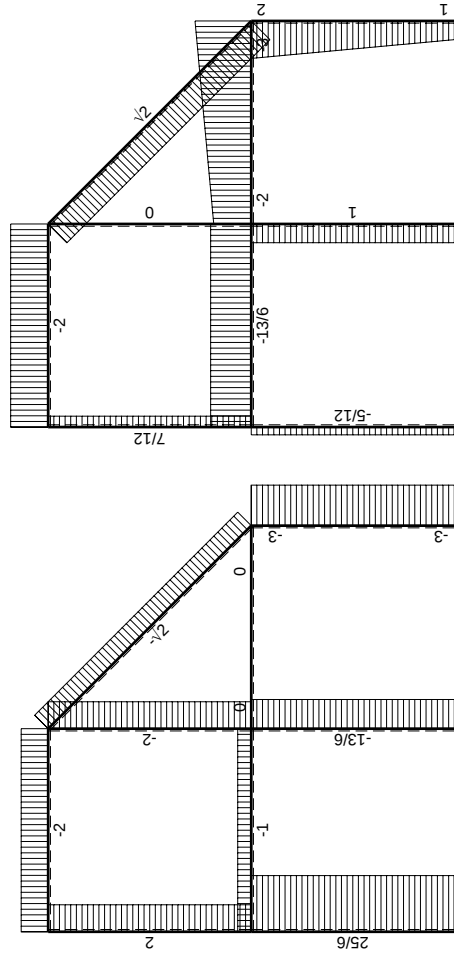


$H_E = -F$
 $H_H = -F$
 $W_C = -W = -Fb$
 $W_G = -W = -Fb$
 $q_{DC} = -q = -F/b$
 $p_{CE} = -q = -F/b$
 $\theta_{FG} = -\theta = -\alpha T/b = -bF/EJ$
 $EJ_{AB} = EJ$
 $EJ_{BC} = EJ$
 $EJ_{BD} = EJ$
 $EJ_{DC} = EJ$
 $EJ_{CE} = EJ$
 $EJ_{FG} = EJ$
 $EJ_{GD} = EJ$
 $EJ_{DH} = EJ$
 $EJ_{GA} = EJ$



Reazioni iperstatiche in soluzione: $X=W_{GD}$
Carichi e deformazioni date hanno verso efficace in disegno.
Calcolare reazioni vincolari della struttura e delle aste.
Tracciare i diagrammi quotati delle azioni interne nelle aste.
 $J_{YZ} \cdot X_{YZ} - \theta_{YZ}$ riferimento locale asta YZ con origine in Y.
La trave DC ha la sezione riportata e dimensioni in mm, con:
 $b = 780 \text{ mm}, F = 770 \text{ N}$
Calcolare sulla sezione C la massima tensione normale σ_m .
Calcolare in * le tensioni σ_c, τ_c e la tensione di von Mises.
Lembo inferiore sezione su tratteggio trave, a destra da D a C.
Curvatura θ asta FG positiva se convessa a destra con inizio F.



Quadro contributi PLV per iperstatica $X=W_{GD}$

→	$M_x(x)$	$M_o(x)$	θ	$M_x M_o$	$M_x \theta$	$M_x M_x$	$\int M_x(M_o/EJ+\theta)dx$	$\int x M_x M_x/EJ dx$
AB b	0	-2Fx	0	0	0	0	0+0	0
BA b	0	2Fb-2Fx	0	0	0	0		
BC $\sqrt{2}b$	0	-2Fb+ $\sqrt{2}Fx$	0	0	0	0	0	0
BD b	0	0	0	0	0	0	0+0	0
DB b	0	0	0	0	0	0		
DC b	0	-2Fx- $1/2qx^2$	0	0	0	0	0+0	0
CD b	0	$5/2Fb-3Fx+1/2qx^2$	0	0	0	0		
CE b	0	$-3/2Fb+2Fx-1/2qx^2$	0	0	0	0	0+0	0
EC b	0	$Fx+1/2qx^2$	0	0	0	0		
FG b	$-1/2x/b$	-Fx	$-Fb/EJ$	$1/2Fx^2/b$	$1/2Fx/EJ$	$1/4x^2/b^2$	$(1/6+1/4)Fb^2/EJ$	$1/12Xb/EJ$
GF b	$1/2-1/2x/b$	Fb-Fx	Fb/EJ	$1/2Fb-Fx+1/2Fx^2/b$	$1/2Fb/EJ-1/2Fx/EJ$	$1/4-1/2x/b+1/4x^2/b^2$		
GD b	$-1+x/b$	-Fx	0	$Fx-Fx^2/b$	0	$1-2x/b+x^2/b^2$	$(1/6+0)Fb^2/EJ$	$1/3Xb/EJ$
DG b	x/b	Fb-Fx	0	$Fx-Fx^2/b$	0	x^2/b^2		
DH b	0	-Fb+Fx	0	0	0	0	0+0	0
HD b	0	Fx	0	0	0	0		
GA b	$1/2-1/2x/b$	0	0	0	0	$1/4-1/2x/b+1/4x^2/b^2$	0+0	$1/12Xb/EJ$
AG b	$-1/2x/b$	0	0	0	0	$1/4x^2/b^2$		
	totali						$7/12Fb^2/EJ$	$1/2Xb/EJ$
	iperstatica $X=W_{GD}$						$-7/6Fb$	

Sviluppi di calcolo iperstatica

$$L_{FG}^{xx} = \int_0^b \left(\frac{1}{4} x^2/b^2 \right) \frac{1}{EJ} dx = \left[\frac{1}{12} x^3/b^2 \right]_0^b \frac{1}{EJ}$$

$$= \left(\frac{1}{12} b \right) \frac{1}{EJ} = \frac{1}{12} b/EJ$$

$$L_{GF}^{xx} = \int_0^b \left(\frac{1}{4} - \frac{1}{2} x/b + \frac{1}{4} x^2/b^2 \right) \frac{1}{EJ} dx = \left[\frac{1}{4} x - \frac{1}{4} x^2/b + \frac{1}{12} x^3/b^2 \right]_0^b \frac{1}{EJ}$$

$$= \left(\frac{1}{4} b - \frac{1}{4} b + \frac{1}{12} b \right) \frac{1}{EJ} = \frac{1}{12} b/EJ$$

$$L_{GD}^{xx} = \int_0^b \left(1 - 2x/b + x^2/b^2 \right) \frac{1}{EJ} dx = \left[x - x^2/b + \frac{1}{3} x^3/b^2 \right]_0^b \frac{1}{EJ}$$

$$= \left(b - b + \frac{1}{3} b \right) \frac{1}{EJ} = \frac{1}{3} b/EJ$$

$$L_{DG}^{xx} = \int_0^b \left(x^2/b^2 \right) \frac{1}{EJ} dx = \left[\frac{1}{3} x^3/b^2 \right]_0^b \frac{1}{EJ}$$

$$= \left(\frac{1}{3} b \right) \frac{1}{EJ} = \frac{1}{3} b/EJ$$

$$L_{GA}^{xx} = \int_0^b \left(\frac{1}{4} - \frac{1}{2} x/b + \frac{1}{4} x^2/b^2 \right) \frac{1}{EJ} dx = \left[\frac{1}{4} x - \frac{1}{4} x^2/b + \frac{1}{12} x^3/b^2 \right]_0^b \frac{1}{EJ}$$

$$= \left(\frac{1}{4} b - \frac{1}{4} b + \frac{1}{12} b \right) \frac{1}{EJ} = \frac{1}{12} b/EJ$$

$$L_{AG}^{xx} = \int_0^b \left(\frac{1}{4} x^2/b^2 \right) \frac{1}{EJ} dx = \left[\frac{1}{12} x^3/b^2 \right]_0^b \frac{1}{EJ}$$

$$= \left(\frac{1}{12} b \right) \frac{1}{EJ} = \frac{1}{12} b/EJ$$

$$L_{FG}^{x_0} = \int_0^b \left(\frac{1}{2} x^2/b^2 \right) Fb \frac{1}{EJ} dx + \int_0^b \left(\frac{1}{2} x/b \right) \theta dx = \left[\frac{1}{6} x^3/b^2 \right]_0^b Fb \frac{1}{EJ} + \left[\frac{1}{4} x^2/b \right]_0^b \theta$$

$$= \left(\frac{1}{6} b \right) Fb \frac{1}{EJ} + \left(\frac{1}{4} b \right) \theta = \frac{5}{12} Fb^2/EJ$$

$$L_{GF}^{x_0} = \int_0^b \left(\frac{1}{2} - x/b + \frac{1}{2} x^2/b^2 \right) Fb \frac{1}{EJ} dx + \int_0^b \left(-\frac{1}{2} + \frac{1}{2} x/b \right) \theta dx$$

$$= \left[\frac{1}{2} x - \frac{1}{2} x^2/b + \frac{1}{6} x^3/b^2 \right]_0^b Fb \frac{1}{EJ} + \left[-\frac{1}{2} x + \frac{1}{4} x^2/b \right]_0^b \theta$$

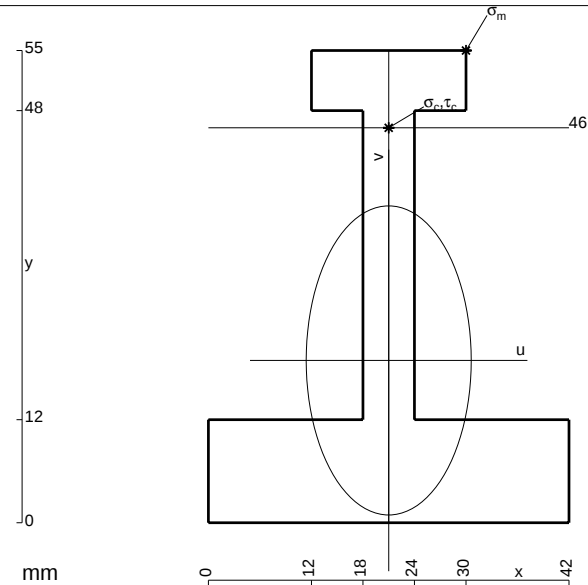
$$= \left(\frac{1}{2} b - \frac{1}{2} b + \frac{1}{6} b \right) Fb \frac{1}{EJ} + \left(-\frac{1}{2} b + \frac{1}{4} b \right) \theta = \frac{5}{12} Fb^2/EJ$$

$$L_{GD}^{x_0} = \int_0^b \left(x/b - x^2/b^2 \right) Fb \frac{1}{EJ} dx = \left[\frac{1}{2} x^2/b - \frac{1}{3} x^3/b^2 \right]_0^b Fb \frac{1}{EJ}$$

$$= \left(\frac{1}{2} b - \frac{1}{3} b \right) Fb \frac{1}{EJ} = \frac{1}{6} Fb^2/EJ$$

$$L_{DG}^{x_0} = \int_0^b \left(x/b - x^2/b^2 \right) Fb \frac{1}{EJ} dx = \left[\frac{1}{2} x^2/b - \frac{1}{3} x^3/b^2 \right]_0^b Fb \frac{1}{EJ}$$

$$= \left(\frac{1}{2} b - \frac{1}{3} b \right) Fb \frac{1}{EJ} = \frac{1}{6} Fb^2/EJ$$



$$\begin{aligned} A &= 846. \text{ mm}^2 \\ J_u &= 274282. \text{ mm}^4 \\ J_v &= 78138. \text{ mm}^4 \\ y_g &= 18.9 \text{ mm} \\ T_y &= -2310. \text{ N} \\ M_x &= -1501500. \text{ Nmm} \\ x_m &= 30. \text{ mm} \\ y_m &= 55. \text{ mm} \\ u_m &= 9. \text{ mm} \\ v_m &= 36.1 \text{ mm} \\ \sigma_m &= -Mv/J_u = 197.6 \text{ N/mm}^2 \\ x_c &= 21. \text{ mm} \\ y_c &= 46. \text{ mm} \\ v_c &= 27.1 \text{ mm} \\ \sigma_c &= -Mv/J_u = 148.3 \text{ N/mm}^2 \\ \tau_c &= 6.238 \text{ N/mm}^2 \\ \sigma_0 &= \sqrt{\sigma^2 + 3\tau^2} = 148.7 \text{ N/mm}^2 \\ S &= 4444. \text{ mm}^3 \end{aligned}$$